

Quantum annealing with more than one hundred qubits

Sergio Boixo,¹ Troels F. Rønnow,² Sergei V. Isakov,² Zihui Wang,³ David Wecker,⁴ Daniel A. Lidar,⁵ John M. Martinis,⁶ and Matthias Troyer*²

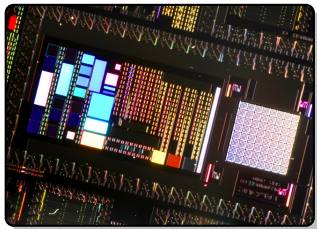
arXiv:1304.4595

Journal Club

Daniel Becker

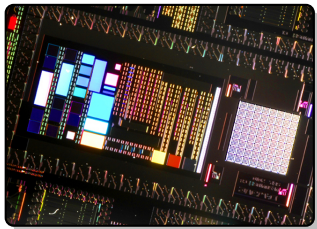
Central Claims of Paper

- **D-Wave One** device successfully used to solve NP hard optimization problems



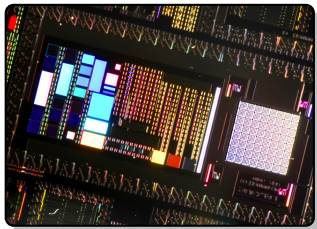
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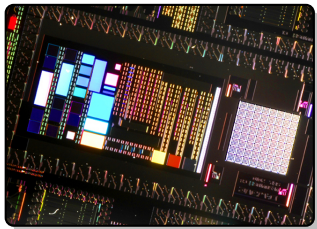
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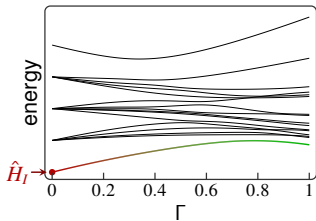
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- **large-scale entanglement** of annealed state **after** times much longer than **coherence time of device**
- promising **prospects to see “quantum speedup”** in larger systems (**D-Wave Two** with 512 qubits)



Adiabatic Quantum Computing

- 1 encode computational problem into Hamiltonian \hat{H}_P (spin glass, ground state is solution)

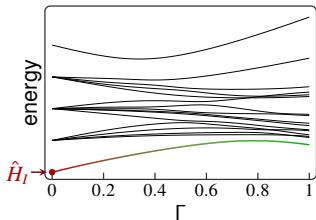


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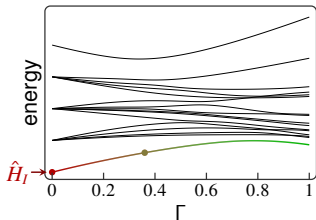
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time sweep with $\Gamma := t/T$

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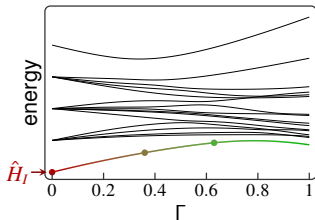
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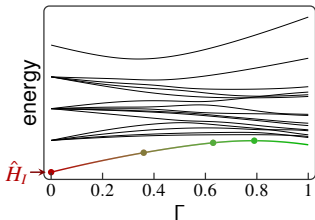
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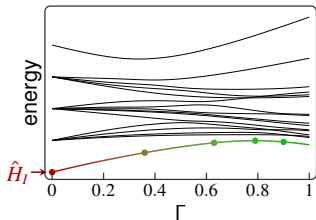
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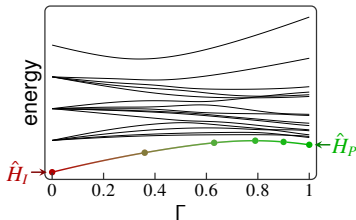
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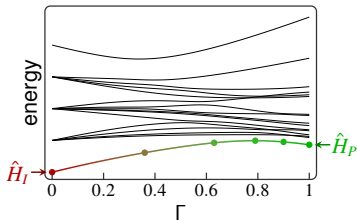
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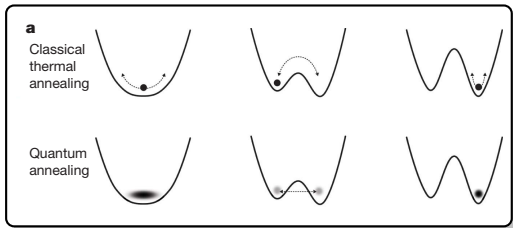
- equivalent to quantum circuit model
- D-Wave: “no error-correction needed”

Classical VS Quantum Annealing

general principle

slowly increase ratio of:

- 1 size of energy barrier between system states
- 2 thermal (classical) and quantum fluctuations



classical:

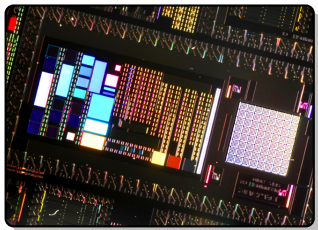
keep **Hamiltonian constant** and
adiabatically cool the system

quantum:

keep **temperature constant** (at
zero) and **adiabatically switch**
Hamiltonian

D-Wave's Quantum Annealing Device

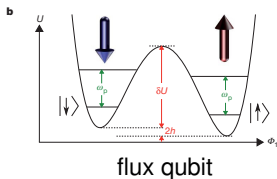
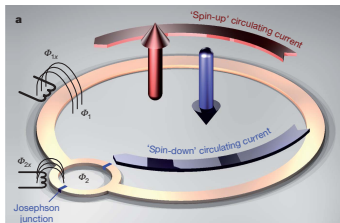
a "special purpose optimization engine"



photograph of 512 qubit D-Wave chip

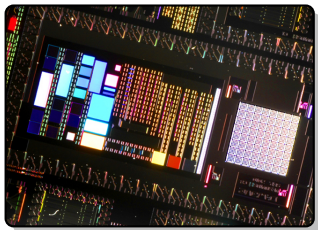
design parameters:

- quadratic lattice of 8 flux qubits per unit cell (temp. $\sim 20mK$)
- flux qubit pairs inductively coupled
- interaction tunable in size and sign
- coherence time: tens of nano-seconds



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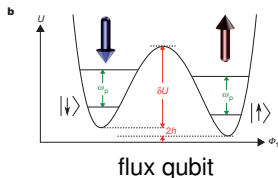
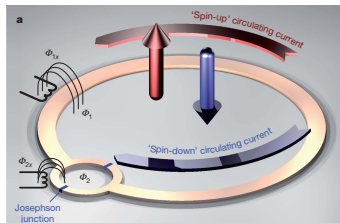
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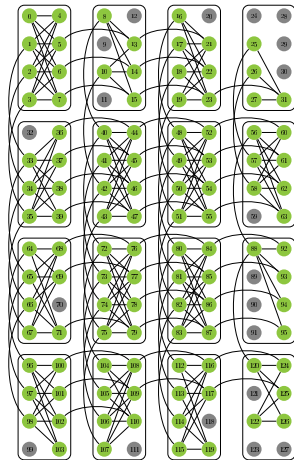
spin glass Hamiltonian

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The D-Wave Optimization Problem

the promise

solve (NP hard?) optimization problem
encoded into "Chimera" graph

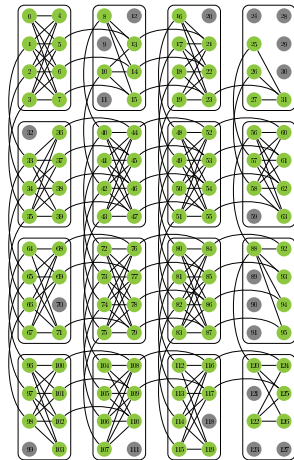


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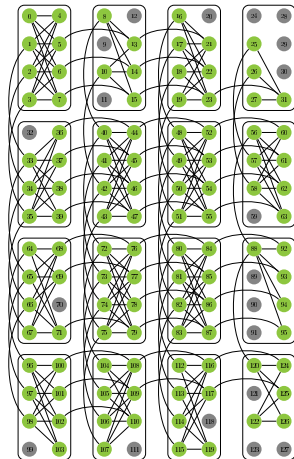


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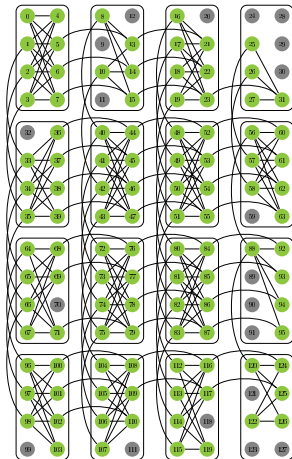


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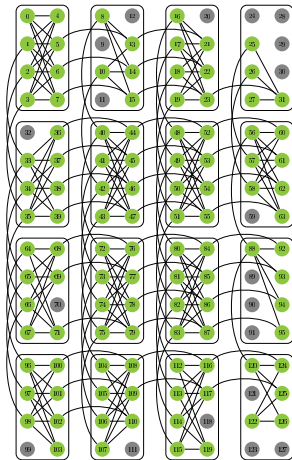


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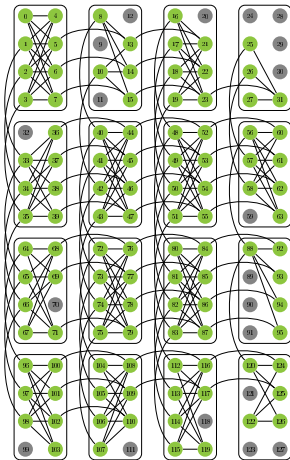
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the ultimate goal

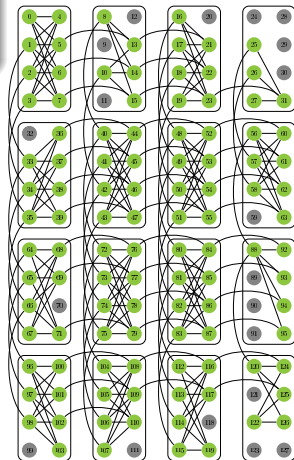
solve NP hard problems **faster than classical computers** (not in polynomial time)



What was Measured/Computed?

the “D-Wave One” device

128 flux qubits in a lattice of 4×4 unit cells

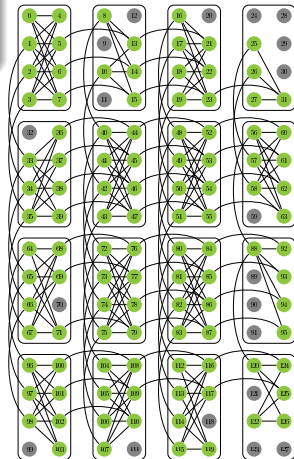


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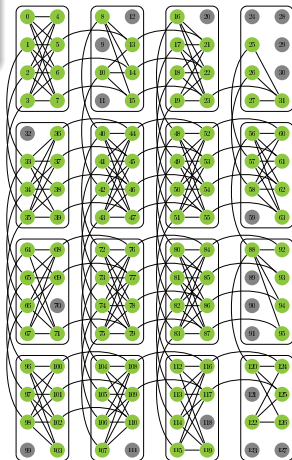


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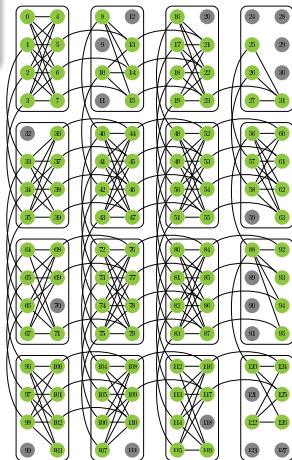


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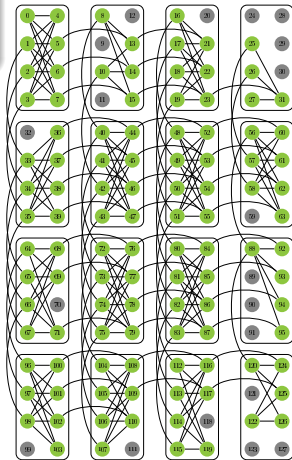
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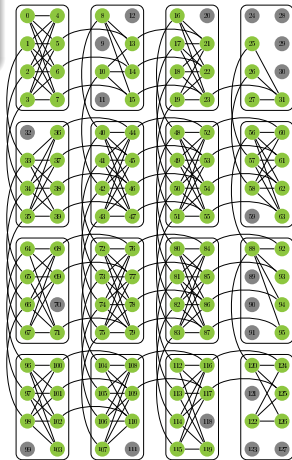
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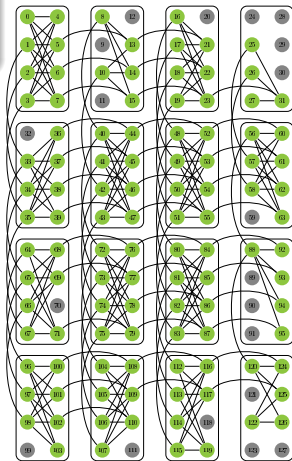
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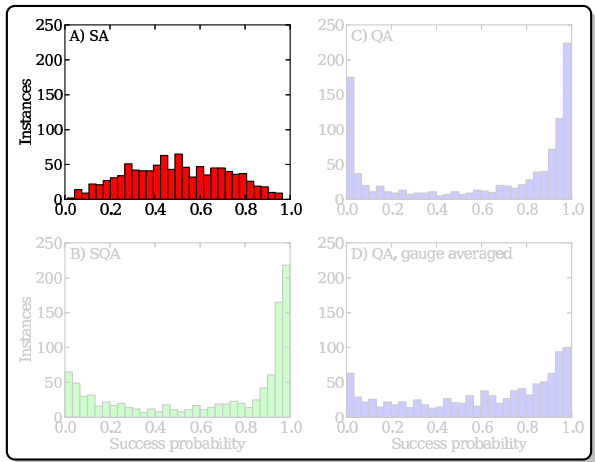
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- **7000** sweeps of simulated quantum annealing



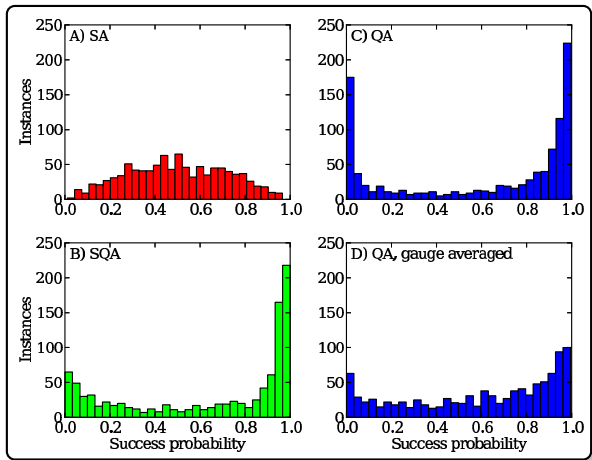
Comparing Success Probability Histograms

classical simulated annealing: monomodal distribution



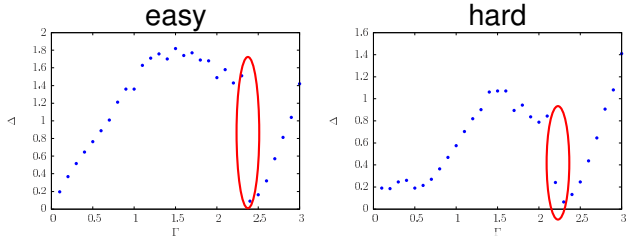
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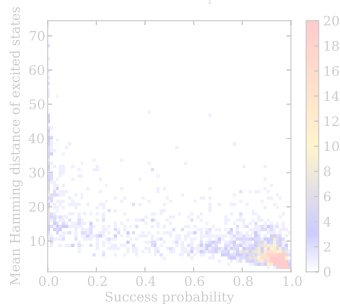


quantum annealing: **bimodal** distribution

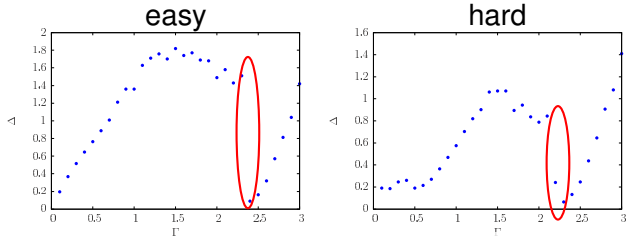
Easy and Hard Instances



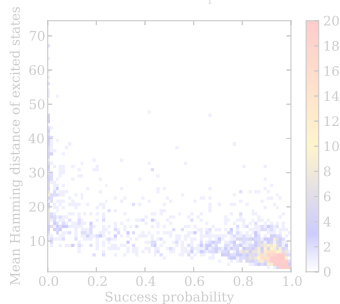
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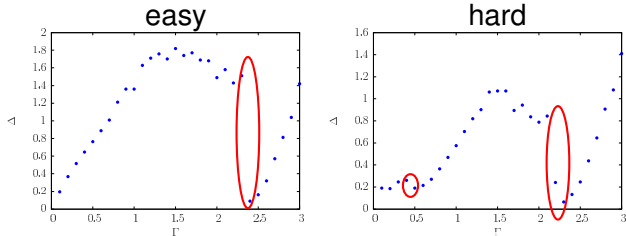
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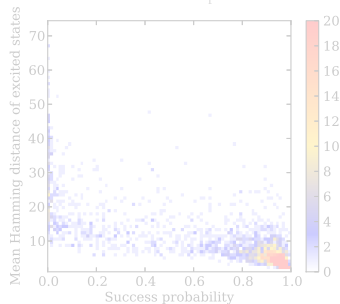
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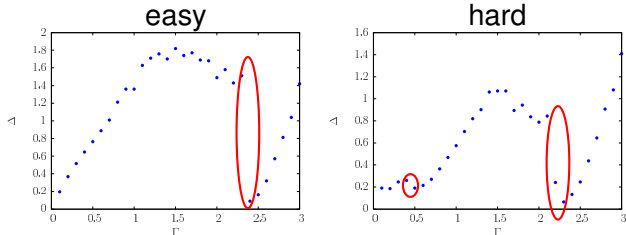
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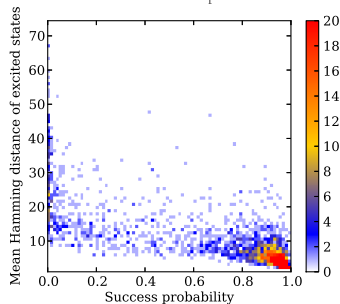
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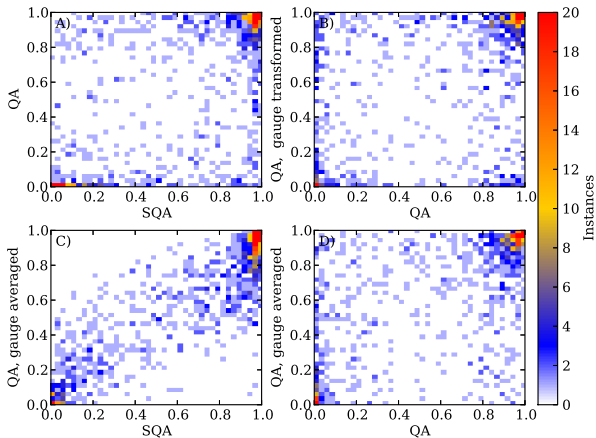


- **trivial gap closing for all instances** around $\Gamma \approx 2.3$
- “easy” instances: no further avoided level crossings
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- **Hamming distance** between ground and excited state **larger for hard instances**



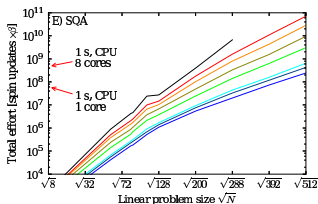
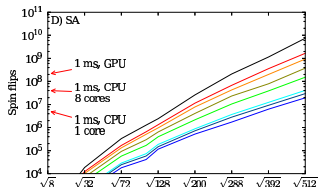
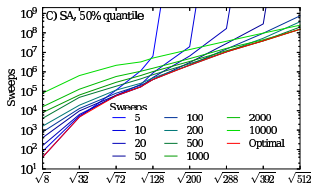
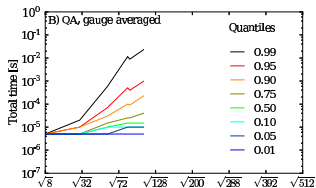
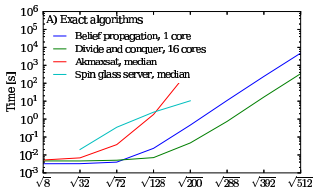
Correlations Between QA and SQA

- **gauge averaging** to compensate calibration errors



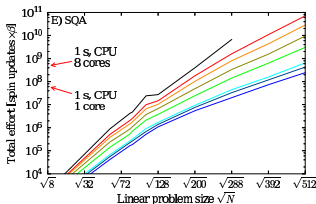
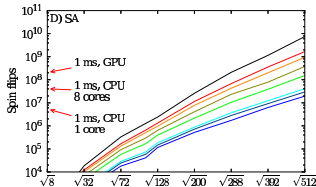
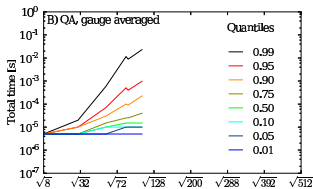
- uncorrelated measurement and simulation results explained by **calibration errors**

Scaling of Computation Time



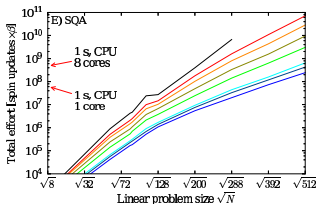
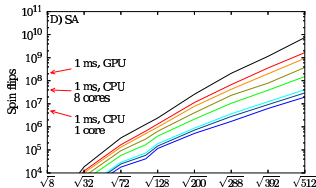
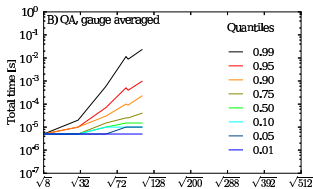
Scaling of Computation Time

- for D-Wave device (QA) only upper limit \rightarrow scaling curves too flat
- exact numerical methods scale exponentially with \sqrt{N}



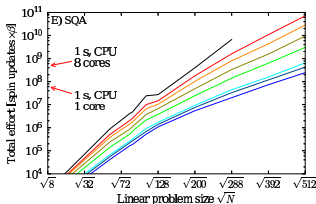
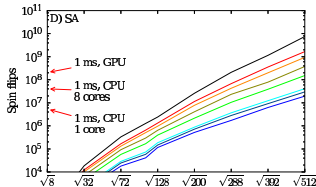
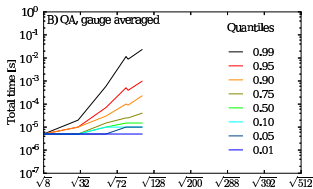
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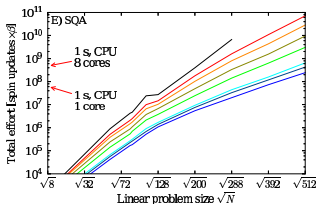
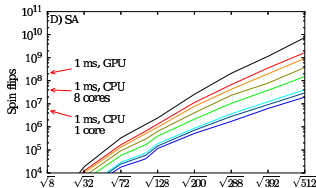
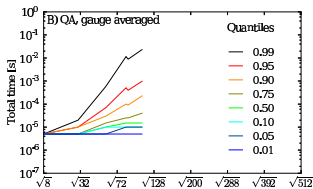
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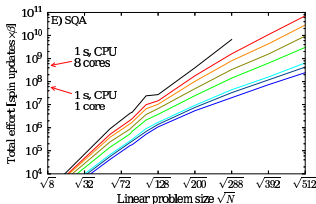
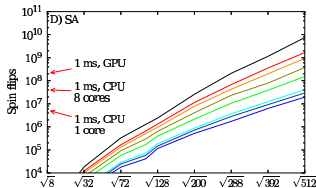
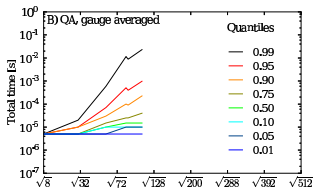
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- future work: **quantum speedup** of QA for **larger systems?**



concise summary: <http://www.scottaaronson.com/blog/>

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- simulated classical annealing on standard PC
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Daniel Lidar:

- error correction necessary for scalable quantum annealing with D-Wave device

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**classical analog to QA:
adiabatic ground state dragging**

Classical Adiabatic Ground State Dragging

John A. Smolin, Graeme Smith, arXiv:1305.4904

classical SO(2) spins (compass needles)

potential energy

$$V_{\text{trans}} = - \sum_i \sin(\theta_i) B_x$$
$$V_{\text{Ising}} = \sum_i \cos(\theta_i) h_i + \sum_{i < j} \cos(\theta_i) \cos(\theta_j) J_{ij}$$

adiabatic switching

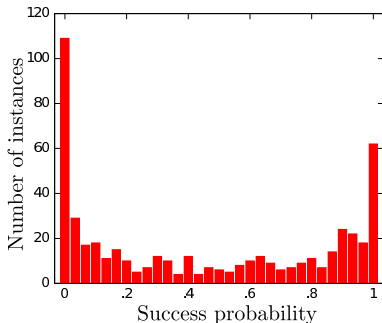
$$V(\Gamma) = (1 - \Gamma) V_{\text{trans}} + \Gamma V_{\text{Ising}}$$

equations of motion

$$\frac{d}{dt} \theta_i = \dot{\theta}_i \quad \text{and} \quad \frac{d}{dt} \dot{\theta}_i = \frac{d}{d\theta_i} V(t)$$

initial state

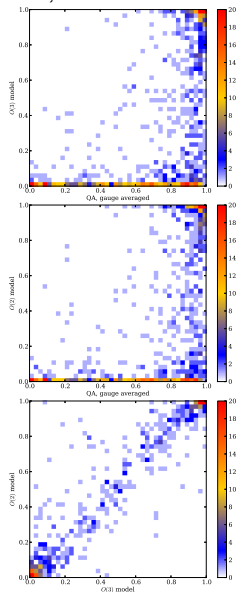
$$|\rightarrow \rightarrow \rightarrow \dots \rightarrow\rangle$$



Comment from Wang et al.

Wang et al., arXiv:1305.5837

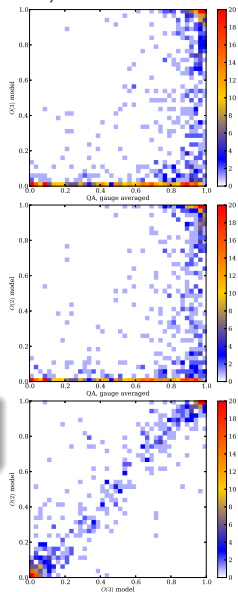
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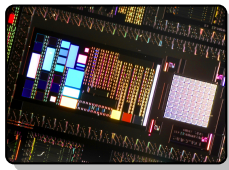
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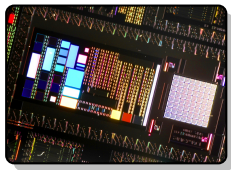
- consider $SO(3)$ model of semi-classical spins described by LLG equation
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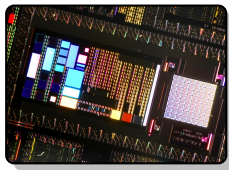
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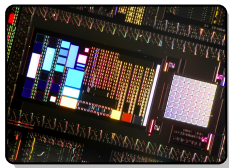
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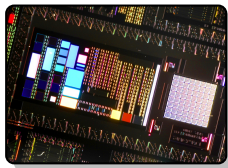
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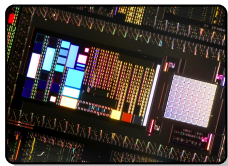
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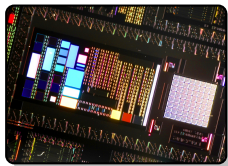
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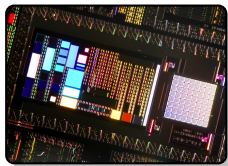
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- quantum speedup will require quantum error correction (D. Lidar)

