

# Working with *Mathematica* a phd student's experience

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# “Side effects”

- Parallel computation:

- `Table[ f[x] , {x, xmin, xmax} ]`

- `ParallelTable[ f[x] , {x, xmin, xmax} ]`

- `ParallelTable` will give the same results as `Table`, except for side effects during the computation.

# Bug evolution

- `Integrate[Exp[x Exp[I y]], {y, -Pi, Pi}, Assumptions -> {x > 0}]`
- `Integrate[Exp[x Exp[I y]], {y, -Pi, Pi}, Assumptions -> {x > 1}]`
- `Integrate[Exp[x Exp[I y]], {y, -Pi, Pi}, Assumptions -> {1 > x > 0}]`
- `Integrate[Exp[(0.5) Exp[I y]], {y, -Pi, Pi}]`
- `Integrate[Exp[(1/2) Exp[I y]], {y, -Pi, Pi}]`

# Bug evolution

■ `Integrate[Exp[x Exp[l y]], {y, -Pi, Pi}, Assumptions -> {...}]`

| Version   | $x > 0$                                     | $x > 1$        | $1 > x > 0$    | $x = 0.5$     | $x = 1/2$      |
|-----------|---|----------------|----------------|---------------|----------------|
| 5.2       | 0   | 0              | 0              | $6.28 + 0. i$ | $2 \text{ Pi}$ |
| 7         | $2 \text{ Pi}$                              | $2 \text{ Pi}$ | $2 \text{ Pi}$ | $0. + 0. i$   | $2 \text{ Pi}$ |
| 8 (and 6) | $2 \text{ Pi} ; \text{True}$<br>$0 ; x < 1$ | $2 \text{ Pi}$ | 0              | $6.28 + 0. i$ | 0              |
| 9         | $2 \text{ Pi}$                              | $2 \text{ Pi}$ | $2 \text{ Pi}$ | $6.28 + 0. i$ | $2 \text{ Pi}$ |

# Set parameters for a calculation

- ▣ `a = 1 (*nm*);`

...

- `m' = func[m0, m*, E0, ...];`

- ▣ `parameters = {a -> 1 (*nm*), ..., m'->func[m0, m*, E0, ...]}`

- ▣ `/.parameters`

- ▣ `//.parameters`

# Pure functions

- $f[x_]:=x^2$ 
  - $f[y]$ 
    - $y^2$
- $f[x1_,x2_]:=x1^2+x2$ 
  - $f[y,z]$ 
    - $y^2+z$
- $(\#^2)\&$ 
  - $(\#^2)\&[y]$ 
    - $y^2$
- $(\#1^2+\#2)\&$ 
  - $(\#1^2+\#2)\&[y,z]$ 
    - $y^2+z$

# Numerical integration

- `NumIntFast[fun_]:=`  
`NIntegrate[ fun, {x, xmin, xmax}, ..., {z, zmin, zmax},`  
`Method -> {"GlobalAdaptive",`  
`Method-> "GaussKronrodRule",`  
`"SingularityDepth"->Infinity},`  
`MinRecursion->4, AccuracyGoal -> Automatic]`
- `SingularityDepth`: number of recursive bisections before applying a singularity handler.
- `GaussKronrodRule` avoids warnings if the integrand is  $\sim 0$  and gives a huge speedup.

# Output of huge expressions

- HugeExpression
  - Java interface/front end is not responding for some time. Box “show more” is displayed.
  - Mathematica consumes lots of memory for “Show Full Output”.
- HugeExpression;
- Short[ HugeExpression , n ]
  - Truncated output with ~n ‘lines’.
- Print[ HugeExpression ];
  - Writes HugeExpression to the notebook.



# Saving expressions

- Useful directory commands:
  - Directory[]
  - SetDirectory[]
- Export["~/dir/filename.dat", SomeTable];
  - Different file formats
- DumpSave["~/dir/filename.mx", SomeTable];
  - Internal Mathematica format
  - Restriction: Not compatible with different Mathematica versions
- Clear[SomeTable];
- Get["~/dir/filename.mx"]; OR <<["~/dir/filename.mx"]

# Loading files with similar name

- FileNames[]
- For[ x = 1, x < Length[ FileNames[] ] + 1, x++,  
If[  
    StringMatchQ[ FileNames[][[x]], "myFile\*.mx"],  
    Get[FileNames[][[x]]]  
]  
]

# Timing long calculations

- `Timing[calculation] / AbsoluteTiming[calculation]`
  - `{ CPU time / real time , result }`
- Input:
  - `Date[]`
  - `myTable = LongCalculation/ParallelTable[..];`
  - `Date[]`
  - `DateDifference[%%%,%] * 24 "hours"`
- Output:
  - `{year,month,day,hour,minute,second}`
  - `{year,month,day,hour,minute,second}`
  - i.e. 5.4 "hours"

# Addressing previous output

- ▣ In[n]
  - ▣ Out[n]
- ▣ ... more In[...] & Out[...]
- ▣ %n ( %321 )
  - ▣ Out[n] ( Out[321] )

Mathematica allocates more and more memory during the evaluation of a notebook. The memory is freed internally if there exist no more links to the expression/result.

Known as “memory hogging”.

# Prevent memory hogging

- `$HistoryLength=0;`
- `clearMemory:= Module[ {}, Unprotect[ In, Out ];  
Clear[ In, Out ];  
Protect[ In, Out ];  
ClearSystemCache[]; ];`
- `<<Utilities`CleanSlate``
  - `CleanSlate[]` will attempt to restore the kernel to the state when the package was loaded

# Clear kernel – evaluation queue trick

Notebook containing definitions: “~/dir/definitions.nb”

- `SetOptions[ $FrontEnd,  
"ClearEvaluationQueueOnKernelQuit" -> False]`
- `NotebookEvaluate["~/dir/definitions.nb"];`  
...calculation1  
`Quit[];`
- `NotebookEvaluate["~/dir/definitions.nb"];`  
...calculation2  
`Quit[];`
- ...

# Conclusion

- Mathematica has bugs!
- Mathematica consumes a lot of memory.
- The Documentation explains the functions.
- For solutions to your problems consult <http://mathematica.stackexchange.com>